## ON A FIXED POINT THEOREM FOR DIFFERENTIABLE MAPPINGS

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ABSTRACT. We obtain a sufficient condition that the mapping between Riemannian manifolds or Lie groups has fixed points. The condition is "without eigenvalue one". For instance, in the torus case, if  $f : T^n \to T^n$  satisfies  $\det(f_{*n} - Id_{\mathbb{R}^n}) \neq 0$  for any  $p \in T^n$ , then f has fixed points.

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